Year 5

NUMBER			
	N18Negatives in Real-Life		
	N19a Directed Numbers - Addition and Subtraction	-	25B
	N19b Directed Numbers - Multiplication and Division		
	N20BODMAS		26B
	N21a Real-Life Tables - Distance Tables		
	N21b Real-Life Tables - Timetables	. 27B	
	N22a Real-life Problems - Without a Calculator	. 28A,	28B
	N22b Real-life Problems - With a Calculator	. 28C,	, 28D
	N23a Introduction to Fractions - Shading		
	N23b Introduction to Fractions - Equivalent Fractions	. 29C,	, 29D
	N23c Introduction to Fractions - Simplifying	. 29E,	29F
	N24a Percentages - Introduction	. 30A	
	N24b Percentages - Percentage of an Amount	. 30B	
	N25 Powers and Roots	. 31	
	N26 Function Machines and Inverse Operations	. 32A,	32B
	N27a Rounding - Nearest 10, 100, 1000	. 33A	
	N27b Rounding - Decimal Places	. 33B,	33C
	AA- O	0.4.4	
ALGEBRA	A1a Coordinates - 1st Quadrant		
	A1b Coordinates - All 4 Quadrants	. 34B,	34C
OFOMETOV	G5Translation	35∆	35R
GEOMETRY	G6 Rotation	,	
	G7 Rotational Symmetry	,	
	G8a Perimeter - Counting Squares		
	G8b Perimeter - Using a Formula		002
	G9 Areas - Counting Squares		39B
	G10a Measuring and Drawing Angles - Introduction		002
	G10b Measuring Angles		40C
	G10c Drawing Angles		
		02,	,
PROBABILITY	P1The Probability Scale	. 41	
	·		
STATISTICS	S3 Frequency Tables - Ungrouped Data	. 42A,	42B
	S4 Frequency Tables - Grouped Data	43A	43B

Negatives in Real-Life

N18

 Work out the value of each card and then place the cards in order from lowest to highest.

A

The temperature is -2 °C and then rises by 6.5 °C.

В

1 °C colder than freezing point.

C

The temperature is -6 °C then rises by 8 °C before falling by 5 °C.

D

102 °C cooler than boiling point.

2) Work out the value of each card and then place the cards in order from lowest to highest.

E

You have £5 in the bank but write a cheque for £9.

F

Tim owes you £5. Sam owes you £3. You owe Ben £12. Tom owes you £2.

G

You have £10 in the bank but then write cheques for £6, £2.50, £5 and £1.

Н

You owe three people £0.50 each.

L

You owe five people £1.25 each but someone owes you £3.50

J

You owe seven people £2 each but six people each owe you £1.50

Negatives in Real-Life

N18

5

These two cards each have a number on the back as well as on the front. Eric shuffles the cards quite a few times and lays them on the table. He then adds the numbers he can see.

He discovers there are four different totals.

They are: 3, 5, 7 and 9.

Can you work out what numbers are on the back of each card?

12 **12**

8

The totals with these cards are: 11, 13, 20 and 22.

Can you work out what numbers are on the back of each card?

3)

5

9

The totals with these cards are:

2, 7, 9 and 14.

Can you work out what numbers are on the back of each card?

4)

12

7

The totals with these cards are:

2, 3, 19 and 20.

Can you work out what numbers are on the back of each card?

© Mathswatch Ltd Page 24B

Directed Numbers N19a Addition and Subtraction

-8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8

- The temperature is 3°C at midnight and then falls 8 degrees by 6 a.m.
 What is the temperature at 6 a.m?
- Tim has only £8 in his bank account but writes a cheque for £15.
 If the cheque is cashed, how much

If the cheque is cashed, how much will Tim have in his account?

3) Sue owes £7 to one friend and £6 to another friend.

She writes this in her diary as (-7) + (-6)

- a) How much does she owe altogether?
- b) What is (-7) + (-6)?
- 4) Sue still owes £7 to one friend and £6 to another friend but her mother decides to take away the £6 debt by paying it off.

Sue writes this as (-7) + (-6) - (-6)

- a) How much does Sue owe now?
- b) What is (-7) + (-6) (-6)?

- 5) Work out the answers to
 - a) 6 14
 - b) 2 12
 - c) -1 6
 - d) -3 5
 - e) -7 15
- 6) Work out the answers to
 - a) 2 (-3)
 - b) 6 (-5)
 - c) -3 (-6)
 - d) -7 (-2)
 - e) -20 (-18)
- 7) Work out the answers to
 - a) 5 + (-2)
 - b) 8 + (-6)
 - c) 3 + (-8)
 - d) -4 + (-3)
 - e) -8 + (-4)
- 8) Work out the answers to
 - a) 4 (+1)
 - b) 7 (+5)
 - c) 1 (+3)
 - d) -6 (+1)
 - e) -1 (+6)

Directed Numbers N19a Addition and Subtraction

1) Each magic square below has a magic number written above it.

You must fill in the blank squares so that the rows, columns and diagonals add up to the magic number.

Magic Number is

a) **12**

10	
4	0
-2	9

Magic Number is

υ)	.0	
2		
15	5	

Magic Number is

:)	-2	7

	-22
-9	
	-10

2) Work out which numbers should go in the squares to make the sums correct.

d)
$$4 - \boxed{} = 7$$

f)
$$+ 6 = 4$$

g)
$$-9 = -12$$

h)
$$-14 = -30$$

Directed Numbers N196 Multiplication and Division

1) a)
$$5 \times -7 =$$

b)
$$-3 \times 6 =$$

c)
$$-4 \times -8 =$$

d)
$$2.5 \times -2 =$$

e)
$$-4 \times -1.5 =$$

2) a)
$$3 \times 2 \times -7 =$$

b)
$$-5 \times -4 \times 3 =$$

c)
$$9 \times 2 \times -2 =$$

d)
$$-6 \times -2 \times -3 =$$

e)
$$5 \times -8 \times -1 \times 2 =$$

3) a)
$$8 \div -2 =$$

b)
$$-16 \div 4 =$$

c)
$$-20 \div -5 =$$

d)
$$32 \div -8 =$$

e)
$$-13 \div -2 =$$

4) a)
$$-9 \times 7 \times 2 =$$

b)
$$18 \div -4 =$$

c)
$$-1 \times 2 \times -3 \times 4 \times -5 =$$

d)
$$(24 \div -4) \times -5 =$$

e)
$$(-50 \div 5) \times -2 =$$

N20

BODMAS

1) Work out the following:

a)
$$3 \times 6 - 2$$

b)
$$7 + 2 \times 3$$

c)
$$5 + 3 \times 4 - 1$$

d)
$$(7 + 1) \times 3$$

e)
$$5 - 3 \times 2$$

f)
$$9 - 35 \div 5$$

g)
$$3 \times 2 + 7 + 5 \times 4$$

h)
$$20 - 9 \div 3 + 1$$

i)
$$2 \times (15 - 10) \div 5$$

j)
$$7 + 2 - 3 \times 4$$

k)
$$10 \div (2 + 3)$$

I)
$$10 \div 5 - 8 \div 2$$

m)
$$7 \times (5-2) + 10$$

n)
$$48 \div (2 + 3 \times 2)$$

o)
$$4 \times 12 \div 8 - 6$$

2) Work out the following:

a)
$$3^2 - 2^3$$

b)
$$25 - (3 - 1)^2$$

c)
$$8 \times 7 - \sqrt{16}$$

d)
$$36 \div 2^2 - 3 \times 3$$

e)
$$5^3 - (3 \times 15 - 2^5)$$

f)
$$((9 + 1) \times 4) \div 2$$

 Place brackets in the following questions to make the answers correct.

a)
$$3 \times 5 - 1 = 12$$

b)
$$10 + 2 \times 3 = 36$$

c)
$$7 \times 5 - 2 \times 2 = 42$$

d)
$$24 \div 6 - 2 = 6$$

e)
$$3 + 2 \times 6 \div 10 = 3$$

f)
$$5 \times 5 - 3 \div 4 + 1 = 2$$

4) If x = 3 and y = 7, work out the following:

a)
$$2x - y$$

b)
$$3y + x^2$$

c)
$$y^2 - x^2$$

d)
$$(x + y)^2 - x^3$$

e)
$$5(y-x) + (y+x) \div 2$$

f)
$$10xy - (2y - x)^2$$

N₂0

BODMAS

1) Use the numbers 6, 3, 2 and 1 plus the operations +, -, \times , \div to make the numbers 0 to 9.

The numbers must be used in the specified order (6, 3, 2, 1). They cannot be put together as in 63 for example.

Signs can be used as many times as you like. Brackets can also be used.

$$0 = 6 \ 3 \ 2 \ 1$$

2) Use four 4s plus the operations +, -, \times , \div to make the numbers 0 to 9.

All four 4s must be used. 4s cannot be put together as in 44. Signs can be used as many times as you like. Brackets can be used.

A possible answer for 0 could be $4 \div 4 - 4 \div 4$

$$0 =$$

N21a

Real-Life Tables Distance Tables

1)

London	All distances are in miles.					
195	Nottingham					
300	100	Manchester				
330	159	56	Liverpool			

- a) Write down the distance between London and Nottingham.
- b) Write down the names of the two cities which are
 - (i) The furthest apart.
 - (ii) The least distance apart.
- Peter travels from London to Manchester where he collects a parcel.
 He then delivers the Parcel in Nottingham before returning to London.
 Work out the total distance travelled by Peter.

2)

London	All distances are in miles.					
22	Stevenage					
75	48	Peterborough		_		
195	165	130	Doncaster			
235	210	170	45	York		

Emma lives in Doncaster.

She has to drive to Peterborough to pick up her friend, David, and then continue on to London to attend a graduation ceremony which begins at 11 am.

The ceremony will last two hours and she will then return to Doncaster with David.

- a) How far does Emma travel in order to get to London with David?
- b) If Emma averages 50 mph on the return trip, at what time would she be back in Doncaster?

© Mathswatch Ltd Page 27A



Real-Life Tables Timetables

1) Here is part of a railway timetable

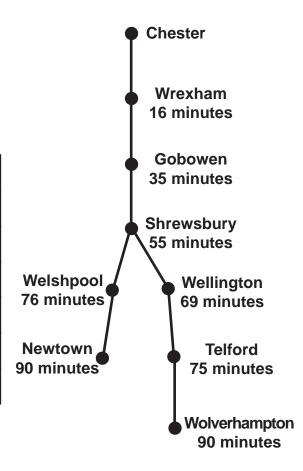
Stockport	05:26	06:16	06:55	07:15	07:55
Stoke	05:55	06:45	07:24	-	-
Stafford	06:12	-	07:41	-	08:41
Euston	08:09	08:26	-	09:11	10:06

- a) Rosie wants to travel from Stockport to Euston. She must arrive in Euston before 09:00.
 - (i) What is the latest time she could depart from Stockport?
 - (ii) How long will her journey last?
- b) James gets to Stockport station at 07:00.How long will he have to wait for the next train to Stafford?
- c) Alex travels to Euston.She gets on the 07:24 train from Stoke.How long will her journey take?
- 2) The train route diagram show the times it takes to travel from Chester to other major stations on the line.

Use the information in the diagram to complete the following timetables.

Chester	04:22
Wrexham	
Gobowen	
Shrewsbury	
Welshpool	
Newtown	

Wolverhampton	16:42
Telford	
Wellington	
Shrewsbury	
Gobowen	
Wrexham	
Chester	



Real-Life Problems Without a Calculator

- 1) Which four coins make a total of 77p?
- 2) Six bars of metal each weigh 2.75 kg. How much do they weigh altogether?
- 3) At a party for 171 people, 9 guests sat at each table.
 How many tables were there?
- 4) Coke cans cost 43p each. How many cans you buy with £6?
- 5) Olivia went to a cafe. She ordered:

2 sausages
Baked beans
3 coffee
1 juice



She paid with a £5 note. Work out how much change she got.

© Mathswatch Ltd Page 28A

Real-Life Problems Without a Calculator

- Cheese is on offer at £3.26 per kilogram.
 Emma buys half a kilogram.
 How much change does she receive from a £10 note?
- 2) A mug and a plate together cost £2.90. The mug cost 40p more than the plate. How much does the plate cost?
- 3) A man is 27 cm taller than his son, who is 8 cm shorter than his mother. The man was born 42 years ago and is 1.78 m tall. How tall is his wife?
- A bus starts at Birmingham and makes three stops before reaching London.

At Birmingham, 37 people get on.

At Rugby, 13 people get off and 6 get on.

At Willen, 9 people get off and 15 get on.

At Luton, 24 people get off and 8 get on.

How many people are on the bus when it reaches London?

© Mathswatch Ltd Page 28B

Real-Life Problems With a Calculator

- 1) There are 7 people in a team. How many teams can you make from 131 people?
- 2) A motorist bought 26 litres of petrol at £1.19 per litre.
 - a) How much did it cost?
 - b) What change did he get from £50?
- A museum trip is organised for 57
 members of a youth club. They go in
 minibuses that can each seat up to
 15 people.
 It costs £42.50 for each minibus and £172

for the group to access the museum.

How much will the trip cost per person?

 Mars Bars cost 35p. Skittles cost 45p.
 Gillian bought 5 bags of Skittles and some Mars Bars.

She paid with a £5 note and received 30p change.

How many Mars Bars did she buy?

© Mathswatch Ltd Page 28C

N22b

Real-Life Problems With a Calculator

Three consecutive integers have a sum of 105.
 What are they?

Using the brackets keys of your calculator, work out the following.

b)
$$44.8 \div (15.4 - 9.8) =$$

c)
$$(19.8 - 3.3) \div (31.2 - 16.2) =$$

d)
$$(8 \times 14.4) \div (11.1 - 4.7) =$$

If you start with 16 and press the square root key of your calculator (√) twice, the answer given is 2.
 If you start with 81 and press the square root key of your calculator (√) twice, the answer given is 3.

Complete the following sentences:

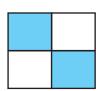
- a) If you start with 1296 and press the square root key of your calculator twice, the answer given is
- b) If you start with ____ and press the square root key of your calculator twice, the answer given is 5.



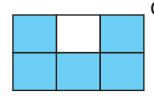
Introduction to Fractions **Shading**

1) What fractions of the following shapes are shaded?

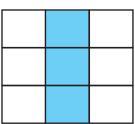
a)

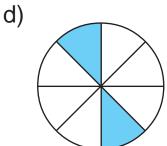


b)

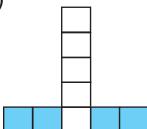


c)

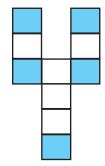




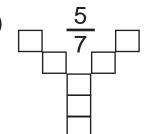
e)



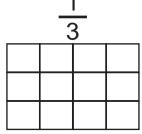
f)



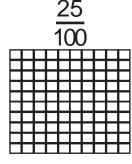
2) Shade the shapes according to the given fractions.



b)

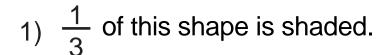


c)



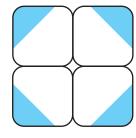


Introduction to Fractions Shading





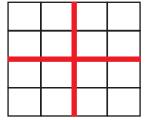
a) What fraction of this diagram is shaded?

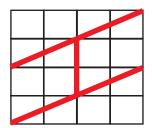


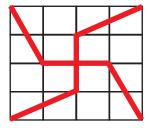
b) What fraction of this diagram is shaded?



2) These rectangles have been split into four equal pieces.

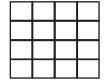


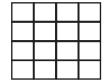


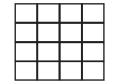


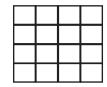
Split each of these rectangles into four equal pieces in different ways.











Introduction to Fractions **Equivalent Fractions**

Find three equivalent fractions to each of the following:

a)
$$\frac{1}{3}$$

b)
$$\frac{1}{4}$$

c)
$$\frac{1}{5}$$

d)
$$\frac{2}{5}$$

e)
$$\frac{3}{4}$$

2) Fill in the missing number in each of these equivalent fractions.

a)
$$\frac{2}{3} = \frac{1}{9}$$

a)
$$\frac{2}{3} = \frac{\Box}{9}$$
 b) $\frac{1}{5} = \frac{\Box}{20}$ c) $\frac{3}{11} = \frac{\Box}{22}$

c)
$$\frac{3}{11} = \frac{1}{22}$$

d)
$$\frac{1}{3} = \frac{5}{1}$$

e)
$$\frac{2}{7} = \frac{10}{1}$$

d)
$$\frac{1}{3} = \frac{5}{1}$$
 e) $\frac{2}{7} = \frac{10}{1}$ f) $\frac{4}{9} = \frac{8}{1}$

g)
$$\frac{2}{5} = \frac{\Box}{50}$$
 h) $\frac{5}{7} = \frac{\Box}{42}$ i) $\frac{9}{10}$ $\frac{81}{\Box}$

h)
$$\frac{5}{7} = \frac{1}{42}$$

i)
$$\frac{9}{10}$$
 $\frac{81}{}$

3) Complete the following equivalent fraction series.

a)
$$\frac{1}{2} = \frac{2}{\Box} = \frac{\Box}{6} = \frac{5}{\Box} = \frac{50}{20} = \frac{50}{\Box}$$

b)
$$\frac{3}{5} = \frac{6}{\Box} = \frac{\Box}{15} = \frac{12}{\Box} = \frac{300}{\Box}$$

N23b

Introduction to Fractions Equivalent Fractions

1) Here are six number cards.









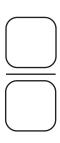




a) Choose two of these six cards to make a fraction that is equivalent to $\frac{1}{6}$.



b) Choose two of these six cards to make a fraction that is equivalent to $\frac{12}{16}$.



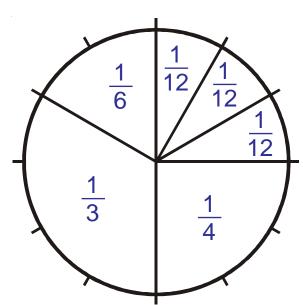
2) Use the diagram below to help you fill in the missing numbers.

a)
$$\frac{1}{3} = \frac{1}{4} + \frac{\Box}{\Box}$$

b)
$$\frac{1}{6} = \frac{1}{12}$$

c)
$$\frac{1}{6} + \frac{2}{12} = \Box$$

d)
$$\frac{1}{3} + \frac{1}{6} = \frac{1}{4} + \frac{\Box}{\Box}$$



Introduction to Fractions Simplifying

- 1) Cancel each of these fractions to their simplest form:
 - a) $\frac{2}{6}$
- b) $\frac{5}{10}$
- c) $\frac{3}{12}$

- d) $\frac{2}{16}$
- e) $\frac{9}{27}$
- f) $\frac{20}{80}$
- 2) Cancel each of these fractions to their simplest form:
 - a) $\frac{4}{14}$
- b) $\frac{30}{70}$
- c) $\frac{16}{34}$

- d) $\frac{24}{42}$
- e) $\frac{27}{45}$
- f) $\frac{28}{36}$
- 3) Cancel down fully each of these fractions:
 - a) $\frac{33}{55}$
- b) $\frac{72}{96}$
- c) $\frac{45}{90}$

- d) $\frac{75}{100}$
- e) $\frac{40}{180}$
- f) <u>68</u> 116

N23c

Introduction to Fractions Simplifying

Here are six number cards.





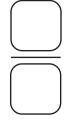




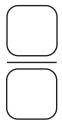




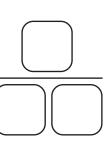
a) Choose two of these six cards to make a fraction that is equal to $\frac{45}{30}$



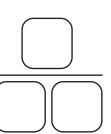
b) Choose two of these six cards to make a fraction that is equal to $\frac{112}{144}$



c) Choose three of these six cards to make a fraction that is equal to $\frac{28}{175}$



d) Choose three of these six cards to make the smallest possible fraction.

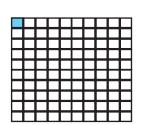




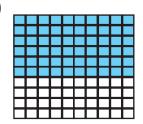
Percentages Introduction

1) What percentage of the shapes below are shaded?

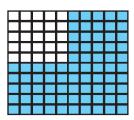
a)



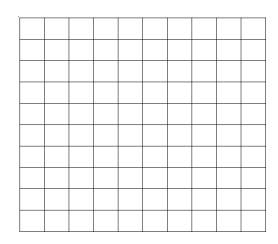
b)



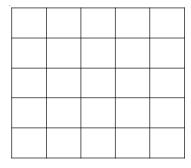
c)



2) Shade in 45% of this grid.



3) Shade in 32% of this grid.



Percentages Percentage of an Amount

1)	Wor	k out the following:	2)	Wor	k out the following:
	a)	50% of 80		a)	10% of 150
	b)	50% of 48		b)	10% of 26
	c)	50% of 15		c)	50% of 12
	d)	25% of 120		d)	25% of 12
	e)	25% of 90		e)	75% of 12
3)	Wor	k out the following:	4)	Wor	k out the following:
	a)	10% of £40		a)	20% of £50
	b)	5% of £40		b)	45% of £9
	c)	15% of £40		c)	80% of £11
	d)	5% of £70		d)	35% of £6
	e)	15% of £380		e)	65% of £824
5)	Jam	ie received £26 pocket money las	st we	ek.	
	Hes	spent it as follows: 10% on sv	veets	,	
		25% on m	agazi	nes	
		15% on ga	ames		
		n much did Jamie have left? w your working.			
6)	Tony	y had £40 saved up and gave 35%	% of i	t to h	is younger sister, Ella.
	Ella	gave 20% of what she was given	to he	er you	unger brother, Ben.
	Ben	gave 30% of what he was given	to his	your	nger brother, Tim.
	Tim	spent 75% of what he was given	on b	uying	a toy for his hamster, Hammy.

© Mathswatch Ltd Page 30B

How much was the toy for Hammy?

N25 Powers and Roots

- 1) a) Shade all the square numbers in the grid.
 - b) Put a circle round all the cube numbers in the grid.

1	2	3	4	5	6	7	8	9	10	11	12
13	14	15	16	17	18	19	20	21	22	23	24
25	26	27	28	29	30	31	32	33	34	35	36
37	38	39	40	41	42	43	44	45	46	47	48
49	50	51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70	71	72
73	74	75	76	77	78	79	80	81	82	83	84
85	86	87	88	89	90	91	92	93	94	95	96
97	98	99	100	101	102	103	104	105	106	107	108
109	110	111	112	113	114	115	116	117	118	119	120
121	122	123	124	125	126	127	128	129	130	131	132
133	134	135	136	137	138	139	140	141	142	143	144

- 2) a) What is the square root of 169?
 - b) What is the cube root of 64?
- Add together the square root of 81 with the cube root of 216.Now, square the result.What is your final answer?

N26

Function Machines and Inverse Operations

1) Find the **output** for each of these function machines.



c)
$$6 \longrightarrow \times 2 \longrightarrow -3$$

e)
$$10 \longrightarrow \div 2 \longrightarrow -7$$

f)
$$7 \longrightarrow \boxed{-4} \longrightarrow \times 2.5$$

2) Find the **input** for each of these function machines.

a)
$$-5 \rightarrow 8$$

b)
$$\div 4 \longrightarrow 25$$

c)
$$\times 2$$
 -1 \rightarrow 19

$$d) \qquad \begin{array}{c} \div 5 \\ \end{array} \qquad \begin{array}{c} + 8 \\ \end{array} \qquad \begin{array}{c} 18 \\ \end{array}$$

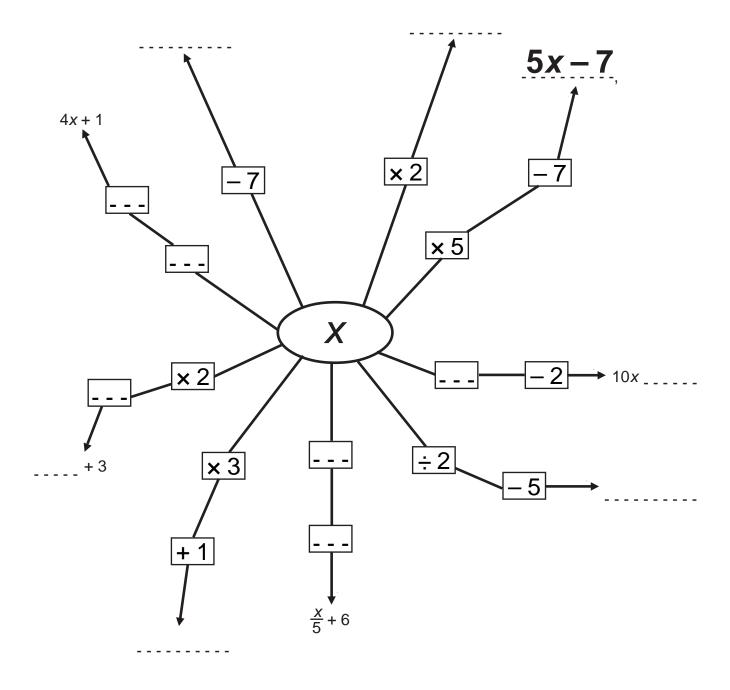
e)
$$\div 2 \longrightarrow 3.5$$

f)
$$\times$$
 19 \longrightarrow -4

N26 Function Machines and Inverse Operations

Complete the diagram below. Every time you see dashes like this _____, you need to write the correct number or expression.

One of them (5x - 7) has already been done for you.



© Mathswatch Ltd Page 32B

Rounding **127a** Nearest 10, 100, 1000

Using a calculator, work out the following. Give your answers to the nearest 10.

- a) 24×14
- b) 383×43
- c) $4088 \div 56$
- d) 265364 ÷ 326
- e) $(42000 + 768) \div 54$

Page 33A © Mathswatch Ltd

N27b

Rounding Decimal Places

Round the following numbers to 1 decimal place.

a) 4.21

f) 578.48

b) 53.43

g) 79.035

c) 31.59

h) 3443.77052

d) 8.827

i) 26.9999

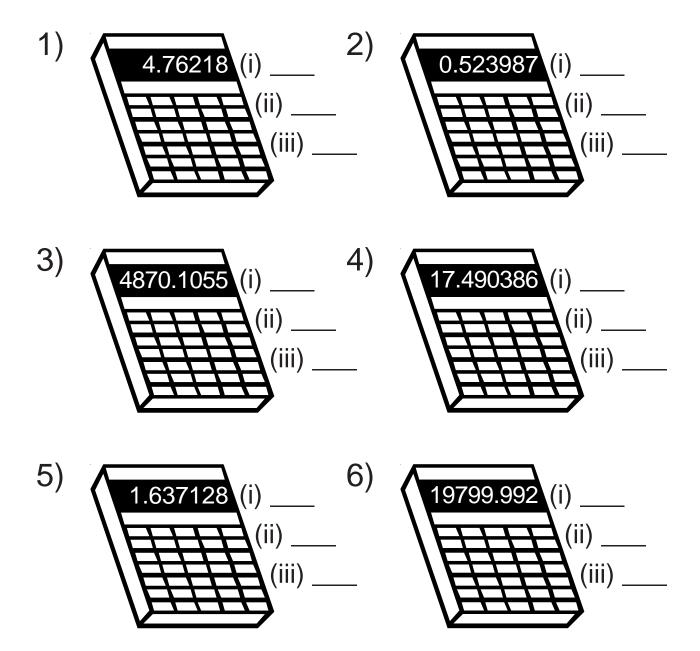
e) 0.653

j) 99.961

Rounding Decimal Places

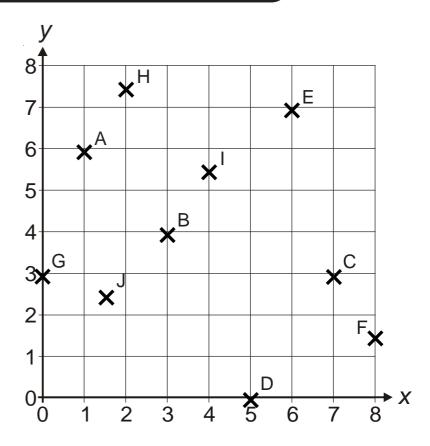
Round each of the numbers on the calculators to

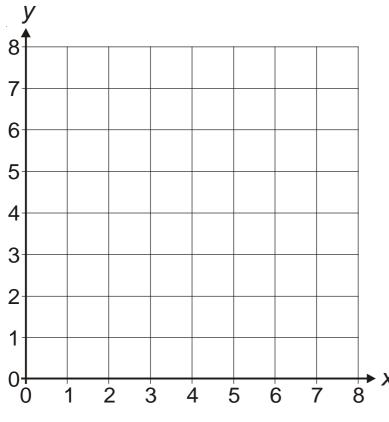
- (i) 1 d.p.
- (ii) 2 d.p.
- (iii) the nearest whole number.



Λ13 Coordinates - First Quadrant

 Write down the coordinates of the crosses labelled A to J.





 Put crosses at the following points and label them with the correct letters.

A (3, 7)

B (8, 4)

C (2, 5)

D (6, 0)

E (2.5, 3)

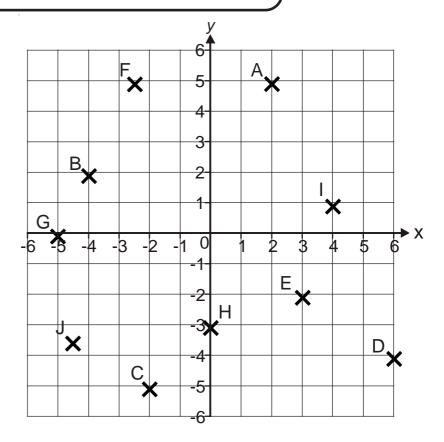
F (0, 6.5)

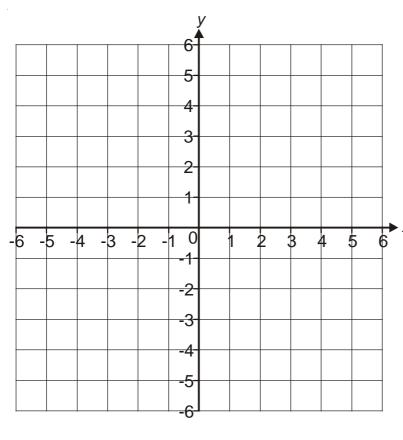
G (5.5, 7.5)

H (8, 8)

A1b Coordinates - All 4 Quadrants

 Write down the coordinates of the crosses labelled A to J.





 Put crosses at the following points and label them with the correct letters.

A (-5, 3)

B (2, -4)

C (-2, -6)

D (5.5, 3)

E(0, 0)

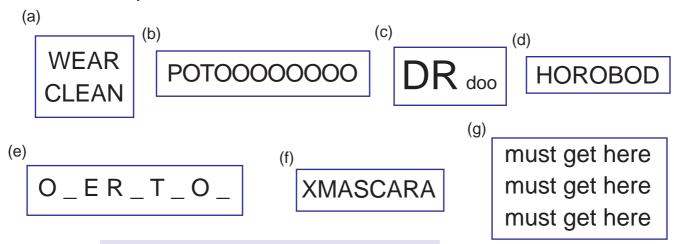
F (-3, 0)

G (-6, -5)

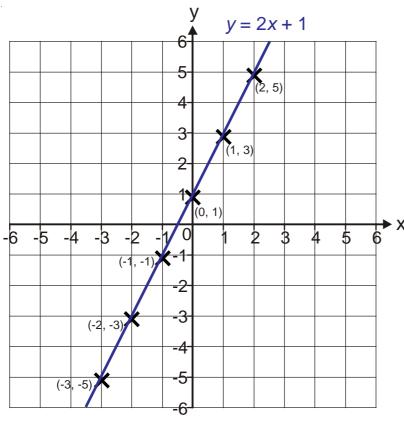
H (0, -5)

A1b Coordinates - All 4 Quadrants

 Below there are seven well-known phrases or expressions. Expression (a) is "Clean underwear". Try and work out the other six.



Every question on this page can be answered if you just see them in the right way.



For every point on the line if you multiply the *x* coordinate by 2 and then add 1 you always get the *y* coordinate.

This is why we call the line y = 2x + 1

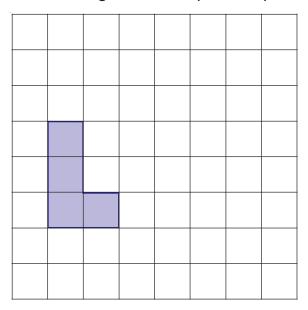
- 2) Plot the following points on the grid, draw a line through the points and try and work out the name of the line.
 - a) (6, 6), (5, 5), (4, 4), (3, 3), (2, 2) (1, 1), (0, 0), (-1, -1), (-2, -2) (-3, -3), (-4, -4), (-5, -5), (-6, -6)
 - b) (6, 3), (4, 2), (2, 1), (0, 0), (-6, -3)
 - c) (4, 5), (3, 3), (2, 1), (1, -1), (-1, -5)
 - d) (5, 6), (5, 5), (5, 4), (5, 3), (5, 2) (5, 1), (5, 0), (5, -1), (5, -2), (5, -6)

© Mathswatch Ltd Page 34C

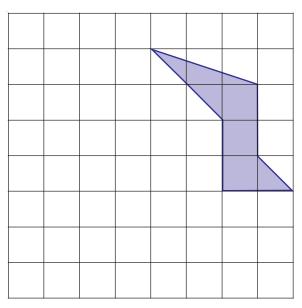
G5

Translation

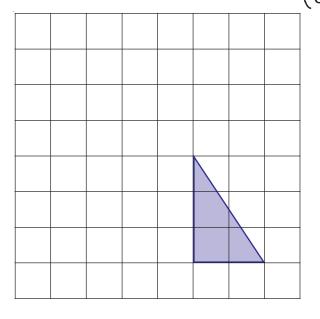
1) Translate the shape 5 squares to the right and 2 squares up.



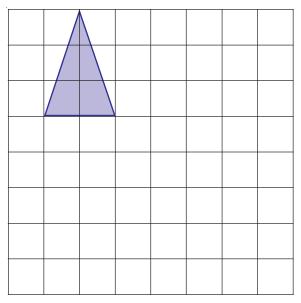
2) Translate the shape 3 squares to the left and 2 squares down.



3) Translate the shape with vector $\begin{pmatrix} -4\\ 3 \end{pmatrix}$



4) Translate the shape with vector $\begin{pmatrix} 4 \\ -5 \end{pmatrix}$



G5

Translation

Use tracing paper and translate the following shapes.

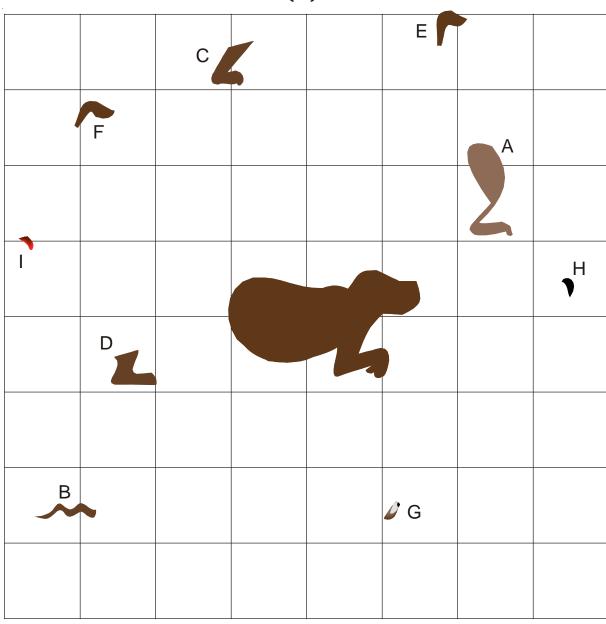
A with vector $\begin{pmatrix} -3 \\ -2 \end{pmatrix}$

D with vector $\begin{pmatrix} 2 \\ 0 \end{pmatrix}$

G with vector $\begin{pmatrix} 0 \\ 3 \end{pmatrix}$

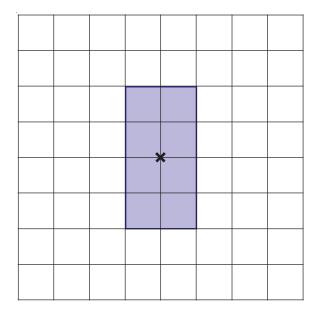
B with vector $\begin{pmatrix} 2 \\ 3 \end{pmatrix}$ E with vector $\begin{pmatrix} -1 \\ -3 \end{pmatrix}$ H with vector $\begin{pmatrix} -2 \\ 0 \end{pmatrix}$

C with vector $\begin{pmatrix} 1 \\ -4 \end{pmatrix}$ F with vector $\begin{pmatrix} 4 \\ -2 \end{pmatrix}$ I with vector $\begin{pmatrix} 5 \\ -1 \end{pmatrix}$

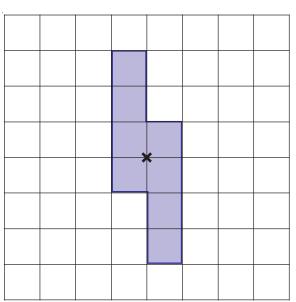


G6 Rotation

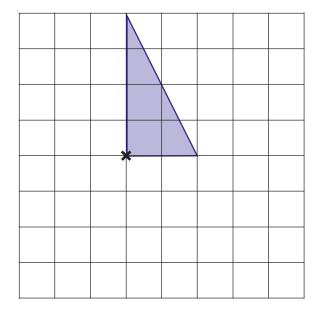
1) Rotate the shape 90° about the cross.



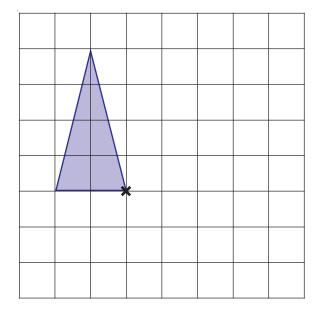
2) Rotate the shape 90° about the cross.



3) Rotate the shape 180° about the cross.

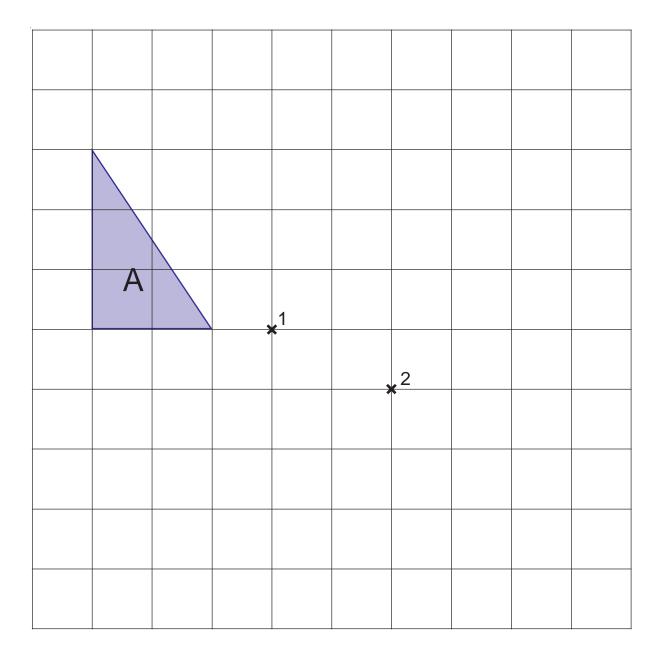


4) Rotate the shape 90° clockwise about the cross.





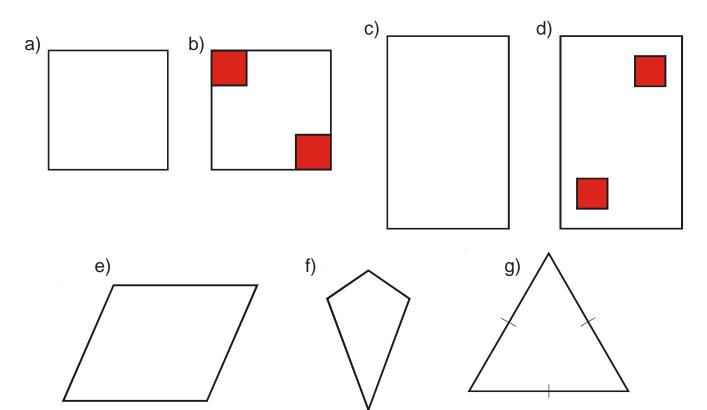
- a) Rotate triangle A 90° clockwise about cross 1.
 Label your new triangle B.
- b) Rotate triangle B 90° clockwise about cross 2. Label your new triangle C.
- c) How many degrees would you need to rotate triangle A to get to triangle C?
- d) Mark with a cross the centre of rotation to get from A to C.

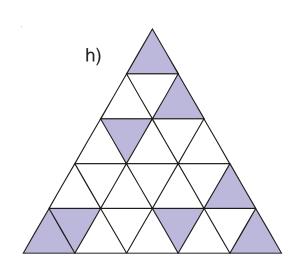


© Mathswatch Ltd Page 36B

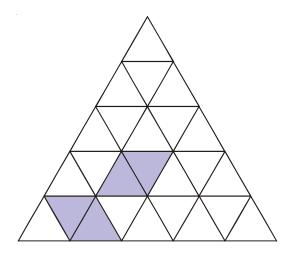
G7 Rotational Symmetry

- 1) For figures a to h, work out
 - i) The order of rotational symmetry.
 - ii) How many lines of symmetry it has.

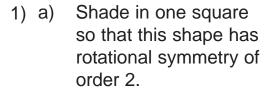


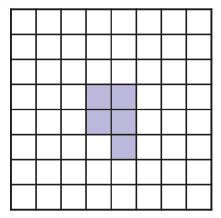


 Shade in six more triangles so that this figure has rotational symmetry order 3

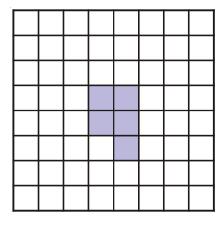


G7 Rotational Symmetry

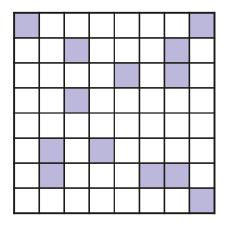




b) Shade in a different square so that this shape has rotational symmetry of order 2.



2) Shade three more squares so that the grid has rotational symmetry of order 4.

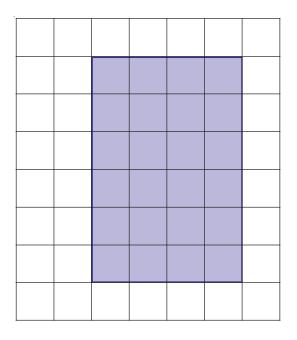


3) The diagram shows a poster which Chloe has on her wall.
When Chloe was standing on her head, looking in a mirror on the opposite wall at the poster on the wall behind her, how many letters could still be read the normal way?

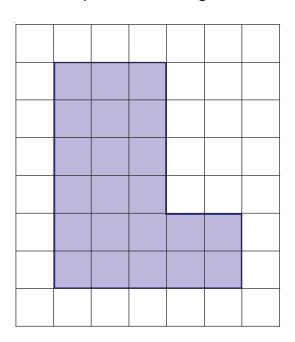
CHLOE BAXTER G8a

Perimeters Counting Squares

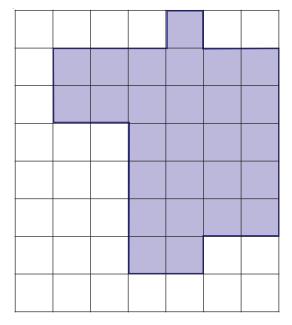
1) Find the perimeter of this rectangle on the cm grid.



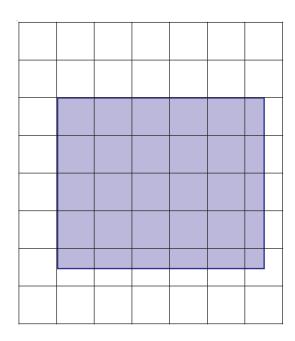
2) Find the perimeter of this shape on the cm grid.



3) Find the perimeter of this shape on the cm grid.



4) Find the perimeter of this shape on the cm grid.



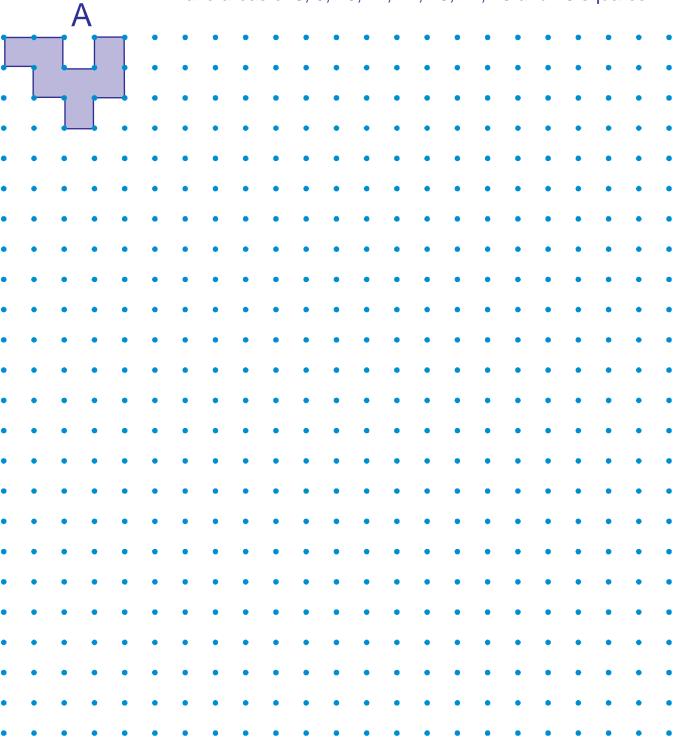
G8a

Perimeters Counting Squares

On the dotty grid you can see a shape which has a perimeter of length 16 and an area of 7 squares.

Perimeter = 16 Area = 7 squares

Keeping the perimeter always 16, draw 9 more shapes which have areas of 8, 9, 10, 11, 12, 13, 14, 15 and 16 squares.



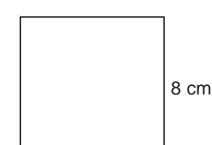
© Mathswatch Ltd Page 38B

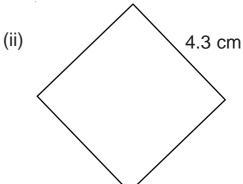
G8b

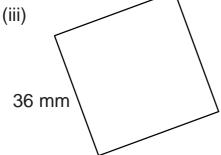
Perimeters Using a Formula

- What is the formula for the perimeter of a square? 1) a)
 - Use your formula to find the perimeter of the b) following squares.

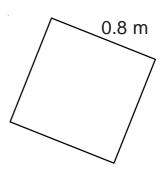
(i)





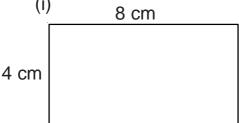


(iv)

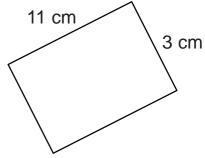


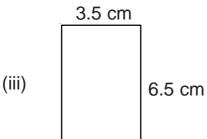
- 2) What is the formula for the perimeter of a rectangle? a)
 - b) Use your formula to find the perimeter of the following rectangles.

(i)



(ii)

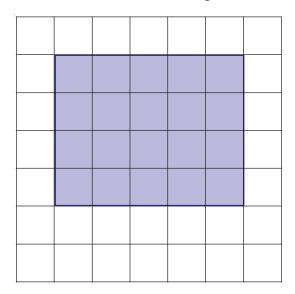




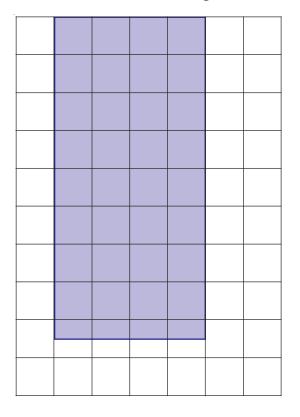
G9

Areas Counting Squares

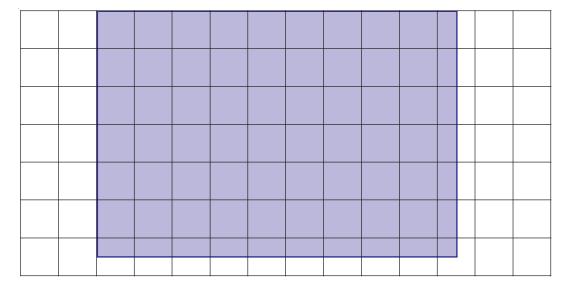
1) Find the area of the rectangle on this centimetre grid.



2) Find the area of the rectangle on this centimetre grid.



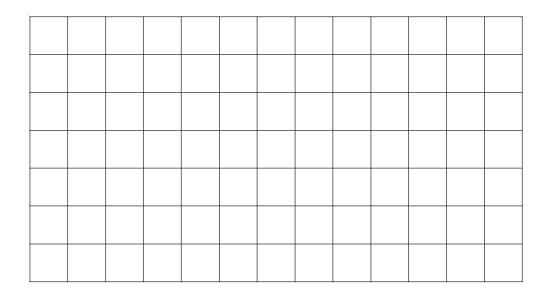
3) Find the area of the rectangle on this centimetre grid.



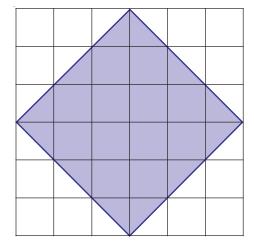
G9

Areas Counting Squares

 Draw three different-shaped rectangles with an area of 12cm² on the centimetre grid.

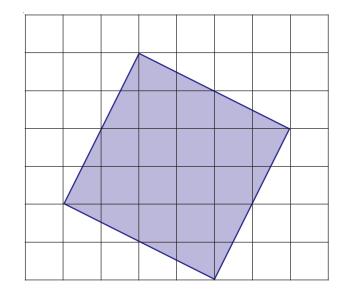


2) Find the area of the square on this centimetre grid.



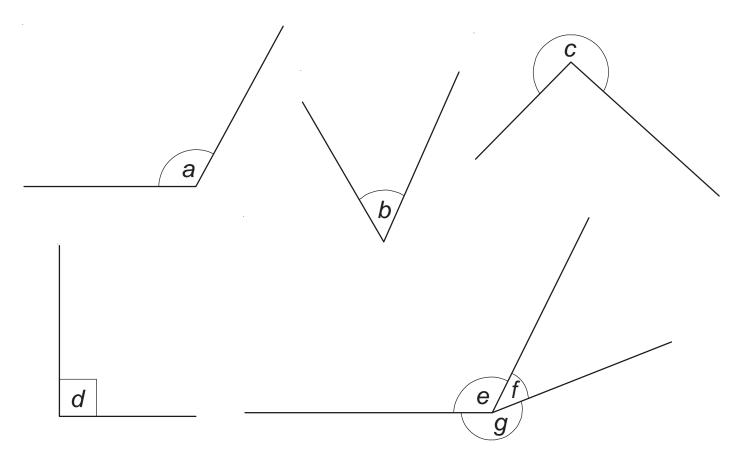
This is a difficult question

Find the area of the square on this centimetre grid.



Measuring and Drawing Angles Introduction

 Each of the angles below can be described as an acute angle, an obtuse angle, a reflex angle or a right angle.
 Decide which each of them are.

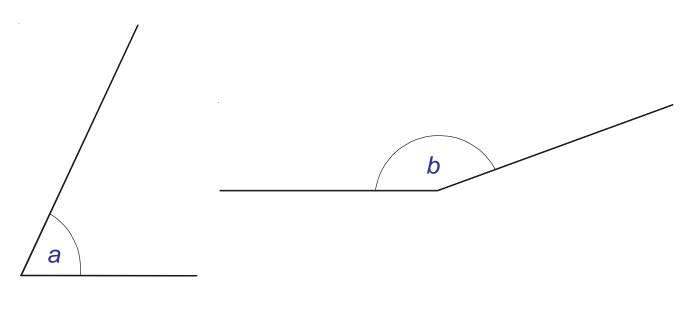


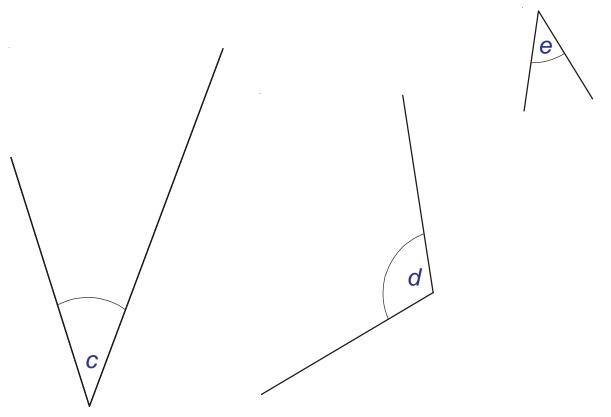
- 2) a) Draw a triangle which has three acute angles.
 - b) Draw a triangle which has one obtuse angle and two acute angles.
 - c) Draw a quadrilateral (4-sided shape) which has one reflex angle and three acute angles.
 - d) Draw a quadrilateral which has one right angle, one acute angle and two obtuse angles.
 - e) Draw a quadrilateral which has two obtuse angles and two acute angles.

© Mathswatch Ltd Page 40A

G10b Measuring Angles

Use a protractor to measure the angles below.

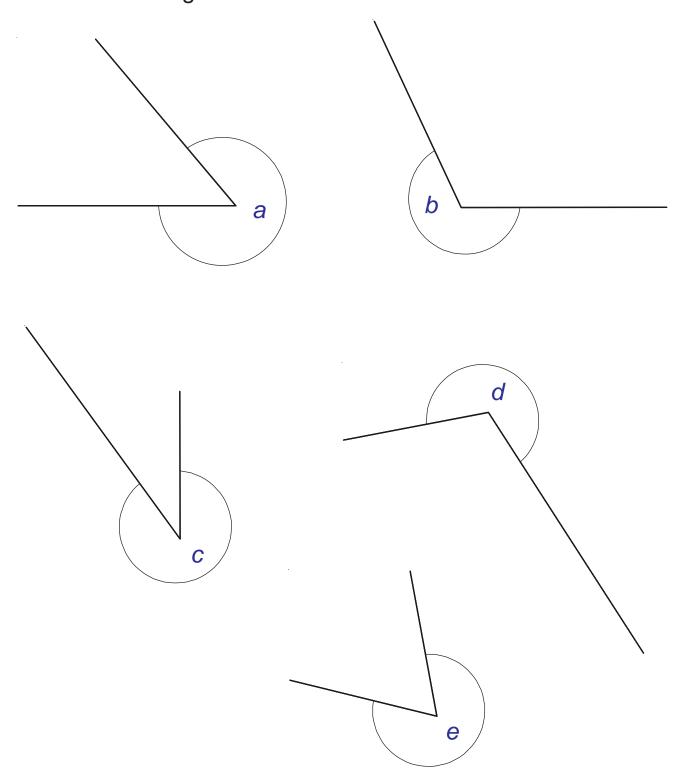




© Mathswatch Ltd Page 40B

G10b Measuring Angles

Use a protractor to measure the angles below.

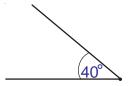


© Mathswatch Ltd Page 40C

G10c Drawing Angles

Draw the angle where you see the dot. Here is an example:

40°



a) 70° _____

b) 135°





G10c Drawing Angles

Draw the angle where you see the dot.

a) 340°

b) 305°

c) 245°

d) 193°

The Probability Scale

Estimate a probability (decimal) to go with these:

- a) You will be on time for school on the next school day.
- b) It will snow sometime this week.
- c) Your teacher will smile at least once tomorrow.
- d) You will have a disagreement with one of your friends.
- e) England will win the World Cup in 2018.
- f) England or France will win the World Cup in 2018.

Frequency Tables Ungrouped Data Blue Green Red Yellow

1) 30 students were asked which of the four colours they liked best.

The results are listed below:

Red Green Blue Red Yellow Red Green Red Green Yellow Red Blue Blue Red Green Blue Red Green Green Yellow Blue Red Blue Green Red Red Red Blue Green Green Record these results in a tally chart.

2) Peter asked all the pupils in his class how many children there were (including themselves) in each of their families.

These are the results:

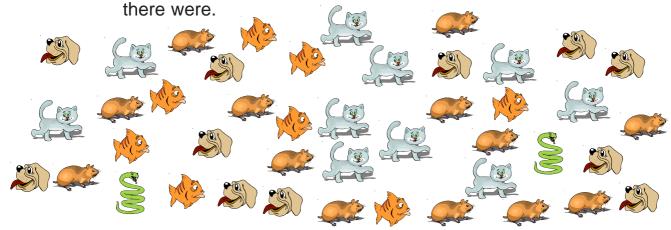
1, 3, 2, 2, 2, 1, 3, 2, 3, 4, 2, 1, 1, 4, 2, 6, 3, 2,

2, 1, 4, 2, 3, 3, 2, 1, 2, 5, 4, 2, 1

Show these results in a tally chart.

3) A teacher asked the pupils in her class to put stickers on the board to show which pets they had. The stickers were of dogs, cats, hamsters, goldfish and snakes.





© Mathswatch Ltd Page 42A

Frequency Tables Ungrouped Data

This is the first paragraph of a book.

However, it is written in code where each letter has been replaced by a different letter.

Can you decode the paragraph?

There is a little bit of help at the bottom of the page.

Imjz zsmop mck dj m wmo-kww gmjh qbsos gdush mj kcos kw brcs loklkoqdkjp.

Bdp wmukrodqs kttrlmqdkj vmp qk tmlqros lkko lsmpmjqp mjh imfs qbsi vkof wko woss kj bdp gmjh. Bs vmpj'q usoz jdts.

Qbs jmis kw qbs kcos vmp Gmjts.

Some help

When you decode the paragraph you will find that:

'e' is the most common letter.

'a' is the second most common followed by

'o' third most common, then

'n' and 'r'

then 't'

then 's'.

© Mathswatch Ltd Page 42B

S4

Frequency Tables Grouped Data

1) Here are the Maths test marks for two mixed ability Year 7 classes.

49 31 59 46 40 64 50 35 54 97 33 48

Complete the frequency table to show all the results.

Mark	Tally	Frequency
20 and under		
21 - 30		
31 - 40		
41 - 50		
51 - 60		
61 - 70		
over 70		

2) A group of students measured their hand span (s) in in centimetres. Here are their results:

14.7	20.0	16.7	21.6	18.2	17.9	18.1
19.0	19.9	16.0	14.4	19.1	21.8	16.4
17.9	15.9	18.0	19.1	16.5	21.1	18.9

Complete the frequency table to show all the results.

Class interval	Tally	Frequency
14 < s < 16		
16 < s < 18		
18 < s < 20		
20 < s < 22		

S4

Frequency Tables Grouped Data

Sally, the organiser of a slimming club, keeps data on how much weight (w), in kg, her 60 members have lost over the previous twelve months.

She organises the data in a two-way table.

	Men	Women	Total
0 < w < 5	2		6
5 < w < 10			14
10 < w < 15	7		
15 < w < 20	2		10
20 < w < 25		11	14
Total	18		

- a) Complete the two-way table.
- b) How many members of the club were women?
- c) How many women lost between 5 and 10 kg?
- d) How many men lost less than 20 kg?
- e) How many men lost 5 kg or more?
- f) How many men and women lost 15 kg or more?

© Mathswatch Ltd Page 43B